



Optimal Coordination of Distributed Energy Resources Using Deep Deterministic Policy Gradient

Avijit Das and Di Wu Pacific Northwest National Laboratory Contact: avijit.das@pnnl.gov July 20, 2023

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Outline

Power & Energy Society*

- Background
- Motivation and Contribution
- Microgrid System Model and Formulation
- Proposed Deep Deterministic Policy Gradient Approach
- Simulation Analysis
- Conclusion and Future Work

Background

- Distributed energy resource (DER) deployment in distribution systems has increased considerably
- Coordination of DERs amidst uncertainties is critical to harvesting their potential benefits

Power & Energy Society

• Reinforcement learning (RL) is promising for power system applications, and has attracted surging attention due to its recent successes



Existing Methods

- Various RL methods have been proposed and investigated in recent years to tackle DER coordination challenges
 - Fitted-Q iteration algorithm to maximize self-consumption of renewable generation (RG) and minimize the electricity cost

IFEE

- A multiagent RL framework empowers autonomous agents of DERs and consumers for maximizing individual profit
- Deep Q-learning method for coordination of battery energy storage systems (BESSs) considering microgrid system uncertainties
- Deep RL approach to manage the optimal energy consumption of multiple smart homes with RG and BESS
- Approximate dynamic programming with policy-based exploration for DER coordination in a remote microgrid
- Deep deterministic policy gradient (DDPG) for optimal scheduling of DERs and service restoration

Motivation

- Shortcomings of existing methods:
 - Many of them are based on lookup table methods, which become inefficient when the problem size is large and infeasible when continuous states and actions are involved
 - BESS loss of life and degradation are not reasonably considered in the RL design

Contribution

- We propose an innovative DDPG-based RL for optimal DER dispatch with BESS loss of life explicitly modeled
 - Both calendrical and cyclical aging effects are taken into account when designing the dispatch policy
- * A. Das and D. Wu. "Optimal Coordination of Distributed Energy Resources Using Deep Deterministic Policy Gradient." in *Proc. IEEE Power Energy Soc. Electr. Energy Stor. App. and Tech. Conf. (EESAT)*, Austin, TX, Nov. 2022, pp. 1-5.

Microgrid System Model

- Goal is to optimally dispatch DERs to minimize the cumulative operation cost
- DER includes
 - RG such as photovoltaic (PV) and wind
 - BESS assets
- Objective function consists of two components
 - BESS operation and maintenance (O&M) cost
 - Energy cost
- Component- and system-level constraints include
 - BESS power limit
 - BESS state of charge (SOC) transition and limit
 - Microgrid power balance



$$\min_{x} \sum_{t=1}^{T} (C_t^{\text{batt}} + C_t^{\text{ex}})$$

BESS O&M Cost

$$C_t^{\text{batt}} = \begin{cases} gp_t^{\text{batt}} \Delta t, if p_t^{\text{batt}} \ge 0 \ (discharging) \\ 0, \quad otherwise \ (charging) \end{cases}$$



BESS Life Loss

- This paper considers both cyclical and calendrical aging effects
- Cycle life loss is determined based on charging/discharging operation of BESS
 - Rainflow algorithm for determining the depth of discharge (DOD)
 - A cyclical aging model uses DOD to determine cycle life loss
- Calendar life loss is determined using a weighted modeling approach
 - Calendar life loss calculated due to staying at a certain SOC and temperature
 - Life loss is particularly prominent at high SOC
- Cumulative daily cycle life loss and calendar life loss are constrained to ensure the expect battery lifetime
- * A. Das and D. Wu. "Optimal Coordination of Distributed Energy Resources Using Deep Deterministic Policy Gradient." in *Proc. IEEE Power Energy Soc. Electr. Energy Stor. App. and Tech. Conf. (EESAT)*, Austin, TX, Nov. 2022, pp. 1-5.





Problem Formulation and DDPG

- Sequential decision-making problem is formalized as a Markov decision process
 - State includes battery SOC, RG output, system load, state retail price, and cumulative life losses
 - Action includes BESS charging/discharging power, and the power purchased from/sold back to the grid
- DDPG is an off-policy deterministic policy gradient method
 - An off-policy method improves learning stability and data usage efficiency
 - Safe exploration is ensured through action mapping, clipping, and reward shaping
- * A. Das and D. Wu. "Optimal Coordination of Distributed Energy Resources Using Deep Deterministic Policy Gradient." in *Proc. IEEE Power Energy Soc. Electr. Energy Stor. App. and Tech. Conf. (EESAT)*, Austin, TX, Nov. 2022, pp. 1-5.
- * Y. Du and D. Wu, "Deep reinforcement learning from demonstrations to assist service restoration in islanded microgrids," *IEEE Trans. Sustain. Energy*, vol. 13, no. 2, pp. 1062–1072, Apr. 2022.



Agent

reward

An Introduction. MIT Press, 2018.





action

Simulation Setup

- Microgrid test system:
 - 100 kW wind and 50 kW PV
 - Lithium-ion BESS: 3 years of calendar life and 600 cycles
 - 160 kWh BESS energy capacity, 40 kW rated power, 83.7% round-trip efficiency
 - BESS SOC range: [0 1]
 - Residential load profiles with peak of 100 kW
- DDPG implemented using PyTorch
 - OpenAl gym for environment
 - Neural networks with two hidden layers and 64 neurons
 - ReLU and sigmoid activation functions



Case Study

- BESS dispatch results without the life loss model compared with the life loss model
 - BESS deep cycled when the life loss is not considered in control design, leading to reduced lifespan
 - Incorporating life-loss model into control design helps avoid deep cycling of BESS and expand its service life
- Different daily maximum life loss limits are also investigated
 - BESS expected lifetime is minimum when the life loss model ignored
 - With life loss model, BESS operation optimized to minimize cost and ensure expected lifetime
 - System with the life loss model considered offers 10% more savings over the calendar life



Conclusion and Future Work

- This work proposes an innovative DDPG-based RL approach for optimal DER dispatch, considering BESS calendrical and cyclical life loss models.
- Case studies were performed to show that the proposed approach can maximize benefits while ensuring the BESS lifespan requirement.
- One interesting future work is to develop an advanced RL approach based on the policy iteration strategy for DER coordination considering distribution power flow.
- Another interesting direction is to develop advanced multi-objective optimization to find a good balance between economic benefits and battery lifetime.

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^{*} A. Das, D. Wu, and B.A. Bhatti, "Approximate Dynamic Programming with Enhanced Off-policy Learning for Coordinating Distributed Energy Resources," *IEEE Trans. Sustain. Energy*, Jul. 2023. (To Be Submitted)

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Thank You

Avijit Das avijit.das@pnnl.gov

Backup Slide: DDPG Technique



- Critic network
 - Estimate the action-value function, and the network weights are updated to minimize the mean square error



- Actor network
 - Learn a policy that minimizes the actionvalue function

$$\theta_{v} = \theta_{v} - \Phi_{a} \nabla_{\theta_{v}} J(\theta_{v}); \theta_{v'} = \tau \theta_{v} - (1 - \tau) \theta_{v}$$
$$\nabla_{\theta_{v}} J(\theta_{v}) = \frac{1}{M} \sum_{m=1}^{M} \nabla_{x_{t}^{m}} Q(S_{t}^{m}, x_{t}^{m} | \theta_{Q})$$
$$\bigvee_{\theta_{v}} v(S_{t}^{m} | \theta_{v})$$

Soft update

 Safe exploration is ensured through action mapping, clipping, and reward shaping

